

# DOES WAVE FUNCTION COLLAPSE CAUSE GRAVITY?

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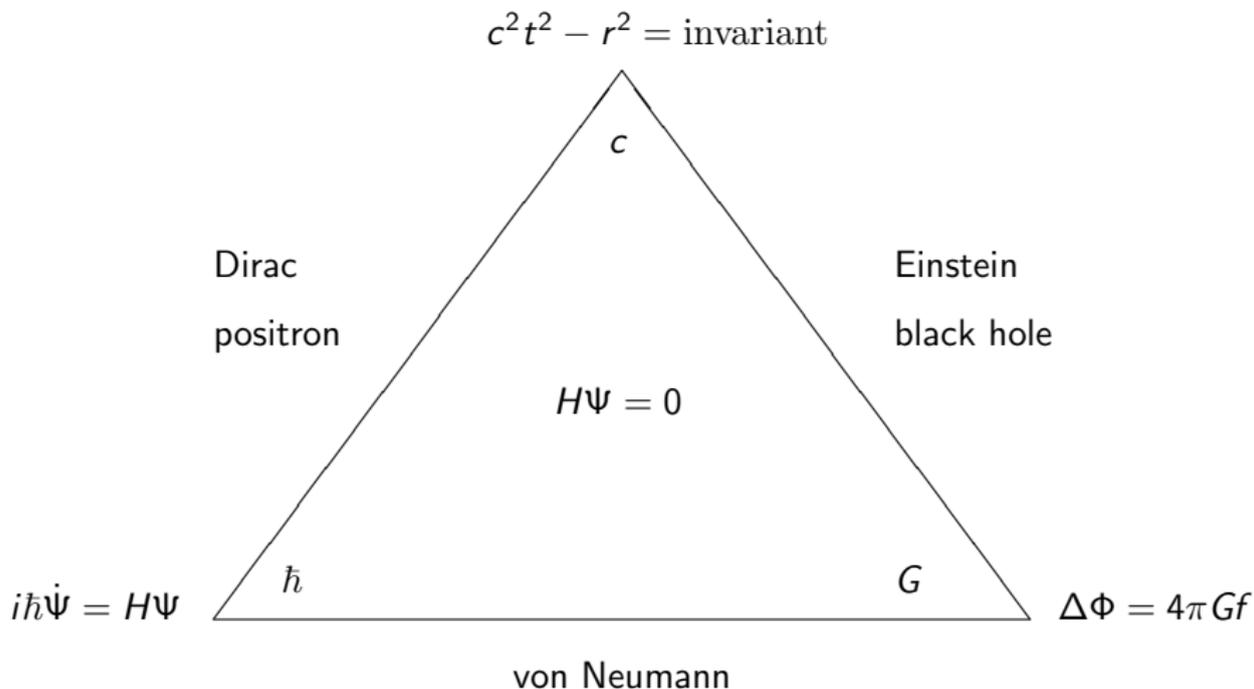
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## BOTTLE-NECK OF QUANTUM GRAVITY: Q OR G?

Mainstream blames G, sidestream blames Q.



WHAT'S WRONG WITH WHEELER-DEWITT EQ.  $H\Psi = 0$ ?

## WHAT'S WRONG WITH WHEELER-DEWITT EQ. $H\Psi = 0$ ?

$$H\left(g, \frac{\partial}{\partial g}, q, \frac{\partial}{\partial q}\right)\Psi(g, q) = 0$$

$g$  = 3-geometry,  $q$  = matter fields

- ▶ Generic solution  $\Psi(g, q)$  implies no 4-geometry
- ▶ No room for von Neumann measurement theory

A remedy would be a certain (hypothetic) universal decoherence to forbid “Schrödinger Cat” states, to enforce wave function collapse into “pointer states” localized in  $g$ . The technical key-element is our smart choice for:

- ▶ Distance  $\ell(g, g')$  between two 3-geometries, to measure “catness”
- ▶ Modification of WDW Eq. to decohere  $\Psi$  for large  $\ell$

FULL RELATIVISTIC OPTION IS LARGELY UNEXPLORED.

GO NEWTONIAN! DECENT THEORETICAL RESULTS, EXPERIMENTAL PROPOSALS.

# NEWTONIAN DECOHERENCE DISTANCE AND DYNAMICS

Choice for the distance (to measure “catness”):

$$\ell(g, g') = \frac{1}{4\pi G} \int |g - g'|^2 dV$$

$g, g'$  are two Newtonian acceleration fields.

Expressing  $g, g'$  through mass densities  $f, f'$ :

$$\ell(g, g') = G \int \int [f(r) - f'(r)][f(s) - f'(s)] \frac{dr ds}{|r - s|}$$

Note: mCSL chooses distance directly for  $f, f', \gamma$  is unrelated to  $G$ :

$$\ell_{mCSL}(f, f') = \gamma \int [f(r) - f'(r)]^2 dr$$

Interrelated options for non-unitary dynamics:

- ▶ Minimalist’s model: decay time of catness =  $\hbar/\ell(g, g')$  [Penrose]
- ▶ Master equation for the density matrix [D.]
- ▶ SNE:  $\hbar\dot{\Psi} = -i\hat{H}\Psi - i\langle\ell(\hat{g}, \cdot)\rangle_{\Psi}\Psi$  [Penrose, D.]
- ▶ frSNE:  $\hbar\dot{\Psi} = -i\hat{H}\Psi - \langle\ell(\hat{g}, \cdot)\rangle_{\Psi}\Psi$  [vanWezel & vandenBrink, D.]
- ▶ jump/diffusive stochastic SNE [D.]

DO WE HAVE TESTABLE PREDICTIONS?

## PROPOSED TESTS

Detecting Newton-G-related loss of coherence in:

- ▶ nucleon decay [Pearle & Squires]
- ▶ flavor oscillations of neutrinos from distant cosmic sources [Christian]
- ▶ light propagation from distant stars [Christiansen & Ng & vanDam]
- ▶ gravity wave interferometer LIGO/VIRGO [Amelino-Camelia]
- ▶ nano-mechanical oscillator [Marshall & Simon & Penrose & Bouwmeester]

ARE THERE MORE CHARACTERISTIC EFFECTS THAN EXCESS NOISE?  
WELL, THERE WOULD BE — IN A MORE RADICAL THEORY.

## GRAVITY CAUSED BY COLLAPSE?

In the above Newtonian-G-related models

- ▶ ambiguity/blurredness/noise of  $g$  implies decoherence/collapse
- ▶ interaction via Newtonian potential is included by hand

CAN'T WE TURN IT AROUND:

WHAT IF COLLAPSE IMPLIES THE NEWTONIAN FIELD?

Example: For a single free mass  $M$ , one might like to derive the presence of an average attractive Newtonian field  $\bar{g} = -GM/r^2$  from the features of the random path of the c.o.m. broken by the repeated collapses.

Exercise: For a classical free spherical Brownian Mass, suppose ideal collisions of short duration compared to intercollision time. Imagine you sit inside the BM and experience the sequence  $\Delta v_1, \Delta v_2, \dots, \Delta v_k, \dots$  of velocity jumps. Then you shall conclude that *there must be* an average compressing force acting on the surface of the BM (a hydrodynamic pressure, this time):

$$P = \frac{M}{\text{surface} \times \text{time}} \sum_{k=1}^n |\Delta v_k| \quad (n \rightarrow \infty)$$