

# DOES WAVE FUNCTION COLLAPSE CAUSE GRAVITY?

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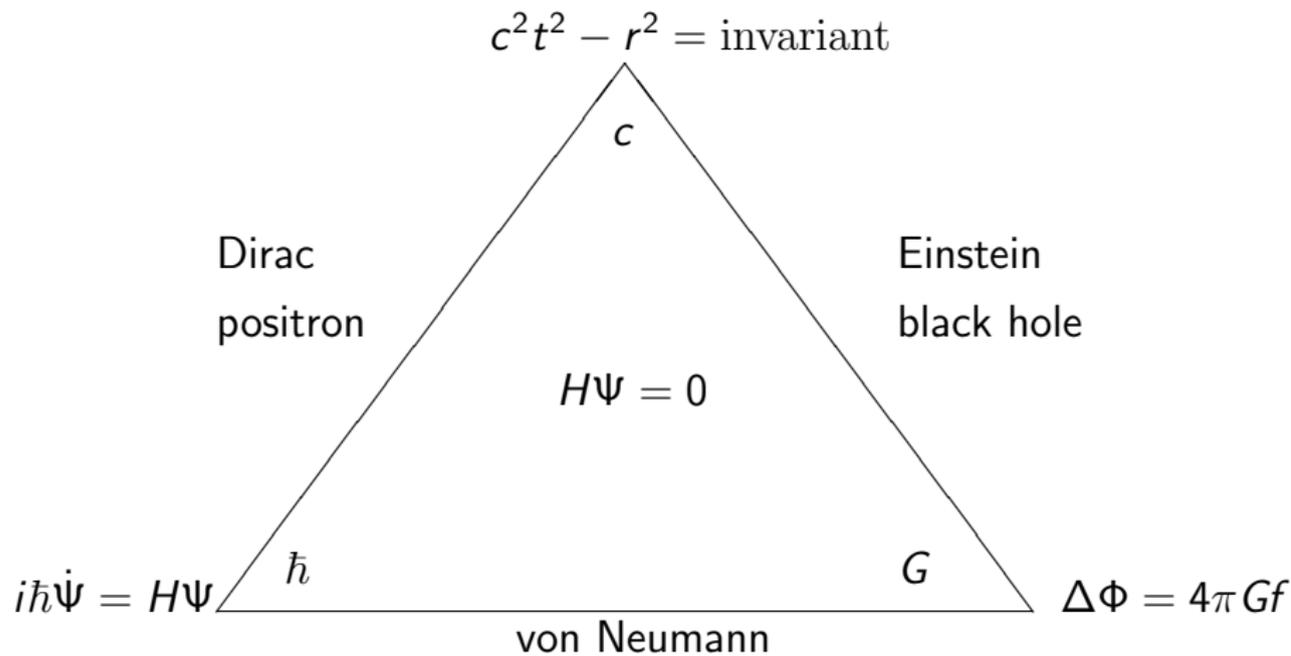
November 25, 2011

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# Bottle-neck of Quantum Gravity: Q OR G?

Mainstream blames G, sidestream blames Q.



WHAT'S WRONG WITH WHEELER-DEWITT EQ.  $H\Psi = 0$ ?

# What's wrong with Wheeler-DeWitt Eq. $H\Psi = 0$ ?

$$H\left(g, \frac{\partial}{\partial g}, q, \frac{\partial}{\partial q}\right)\Psi(g, q) = 0$$

$g$  = 3-geometry,  $q$  = matter fields

- Generic solution  $\Psi(g, q)$  implies no 4-geometry
- No room for von Neumann measurement theory
- "Schrödinger Cat" states

A remedy would be a certain (hypothetic) universal decoherence to forbid "Schrödinger Cat" states, to enforce wave function collapse into states localized in  $g$ .

Technical key-element is our smart choice for:

- Distance  $\ell(g_1, g_2)$  between 3-geometries, to measure "catness"
- Modification of WDW Eq. to decohere  $\Psi$  for large  $\ell$

FULL RELATIVISTIC OPTION IS LARGELY UNEXPLORED.

GO NEWTONIAN! DECENT MODELS, EXPER' PROPOSALS.

# Newtonian decoherence distance

Choice for the distance (to measure “catness”):

$$\ell^2(\mathbf{g}_1, \mathbf{g}_2) = \frac{1}{4\pi G} \int |\mathbf{g}_1 - \mathbf{g}_2|^2 dV$$

$\mathbf{g}_1, \mathbf{g}_2$ : Newtonian acceleration fields. In mass densities  $f_1, f_2$ :

$$\begin{aligned} \ell^2(f_1, f_2) &= G \int \int [f_1(\mathbf{r}) - f_2(\mathbf{r})][f_1(\mathbf{s}) - f_2(\mathbf{s})] \frac{d\mathbf{r}d\mathbf{s}}{|\mathbf{r} - \mathbf{s}|} \\ &= 2U(f_1, f_2) - U(f_1, f_1) - U(f_2, f_2) \end{aligned}$$

Popular alternatives (Ghirardi et al, Pearle 1986-):

$$\ell_{GRW/CSL}^2(f_1, f_2) = \gamma_{GRW/CSL} \int [f_1^\nu(\mathbf{r}) - f_2^\nu(\mathbf{r})]^2 d\mathbf{r}$$

$\nu = 1/2$  for GRW,  $\nu = 1$  for CSL.

ADD UNIVERSAL DECOHERENCE AND QUANTUM STATE  
COLLAPSE TO QM!

# Newtonian decoherence/localization dynamics

- Decay time of catness (Penrose 1996, D. 1987)

$$\tau_d = \frac{\hbar}{\ell^2(f, f')} = \frac{\hbar}{2U(f, f') - U(f, f) - U(f', f')}$$

- Master equation for the density matrix (D. 1987)

$$\begin{aligned} \frac{d\hat{\rho}}{dt} &= -\frac{i}{\hbar}[\hat{H}, \hat{\rho}] - \frac{1}{2\hbar}\ell^2(\hat{f}_L, \hat{f}_R)\hat{\rho} \\ &= -\frac{i}{\hbar}[\hat{H}, \hat{\rho}] - \frac{G}{2\hbar} \int \int [\hat{f}(\mathbf{r}), [\hat{f}(\mathbf{s}), \hat{\rho}]] \frac{d\mathbf{r}d\mathbf{s}}{|\mathbf{r} - \mathbf{s}|} \end{aligned}$$

- SSE=stochastic Schrödinger Equation (D. 1986/89)

$$\frac{d\psi}{dt} = -\frac{i}{\hbar}\hat{H}\psi + \text{non-linear stochastic term}$$

DO WE HAVE TESTABLE PREDICTIONS?

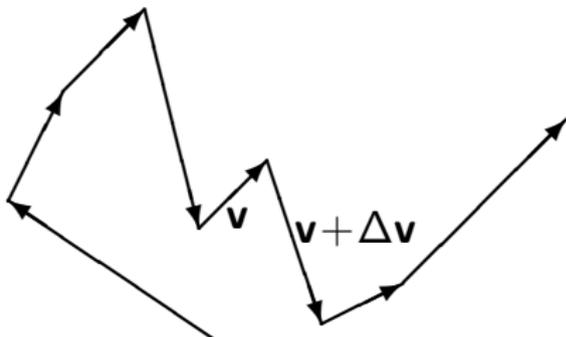
# Proposed tests

Detecting Newton-G-related loss of coherence in:

- nucleon decay (Pearle & Squires)
- flavor oscillations of neutrinos from distant cosmic sources (Christian)
- light propagation from distant stars (Christiansen & Ng & vanDam)
- gravity wave interferometer LIGO/VIRGO (Amelino-Camelia)
- nano-mechanical oscillator (Marshall & Simon & Penrose & Bouwmeester)
- optically levitated dielectric nano-sphere (Romero-Isart)
- ...

ARE THERE MORE CHARACTERISTIC EFFECTS THAN EXCESS NOISE? THERE WOULD BE — IN A MORE RADICAL THEORY.

# Gravity caused by wave function collapse?



In the above Newtonian model

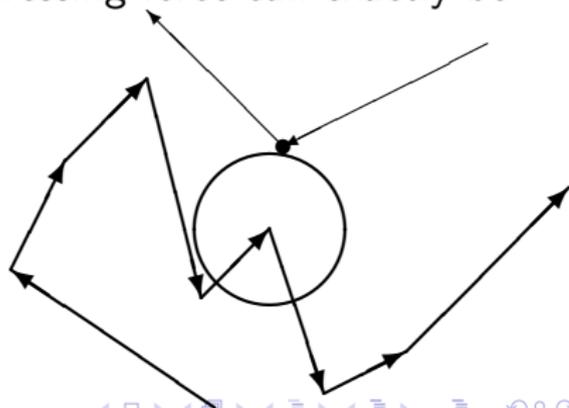
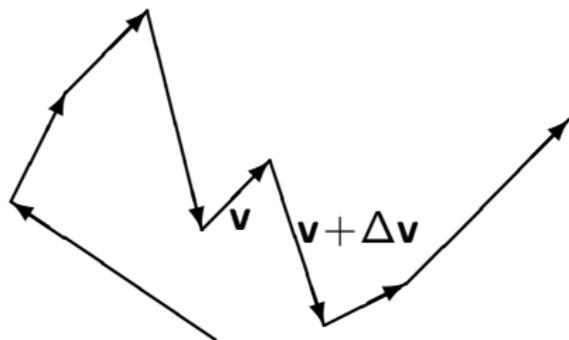
- decoherence/collapse superimposes "Brownian" diffusion/jumps on c.o.m. motion of massive objects.
- Newtonian interaction potential is included by hand
- Can't we turn it around? Attribute Brownian diffusion/jumps to emergent  $\mathbf{g}$  gravity around the mass?

WHAT IF COLLAPSE IMPLIES THE NEWTONIAN FIELD?

# Excursion: Ambient pressure from 'Brownian' trajectory I

Motivation: For a single free mass  $M$ , one might like to derive the presence of an average attractive Newtonian field  $\bar{g} = -GM/r^2$  from the features of the random path of the c.o.m., broken by the repeated collapses.

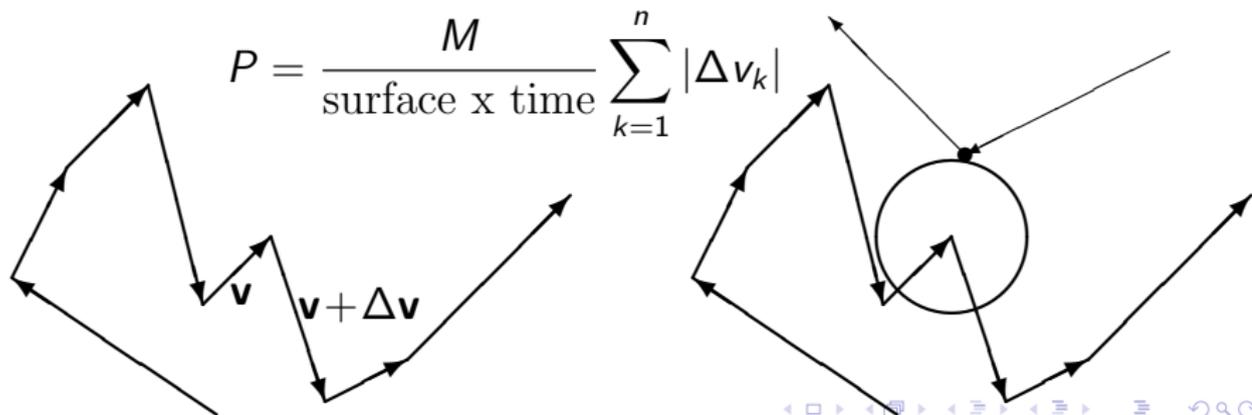
Exercise: In a non-standard 'Brownian' motion model the presence and the average value of a central compressing force can exactly be derived from the 'Brownian' motion.



## Excursion: ... pressure from trajectory II

Classical rigid ball of radius  $R$ , mass  $M$ , in thin gas of small rigid ball molecules that hit the "Brownian" ball. Brownian trajectory becomes a random broken line which encodes the ambient pressure  $P$ !

Imagine you sit inside the Brownian mass, experience the sequence  $\Delta v_1, \Delta v_2, \dots, \Delta v_k, \dots$  of velocity jumps. You shall conclude that *there must be* an average compressing force acting on the surface of the Brownian Mass (a hydrodynamic pressure, this time):



# Back to collapse induced gravity

- G-related wave function collapse  $\Rightarrow$  "Brownian" c.o.m. motion
- Newton interaction put by hand
- Einstein equivalence (Newton Law  $\Delta M\mathbf{v} = \mathbf{F}\Delta t$ ) violated
- Can "Brownian" motion be attributed to emergent  $-G/r$  Newton field?
- Would restore Einstein equivalence (Newton's Law)
- Analogue: Ambient Pressure
- Very preliminary calculations
- $G \Rightarrow G_r \sim$ collapse intensity at length scales  $r$

ARE THERE MORE CHARACTERISTIC EFFECTS THAN EXCESS NOISE? SHORT DISTANCE DROP OF  $G$ ?

# Bottle-neck of Quantum Gravity: Q OR G?

Mainstream blames G, sidestream blames Q.

$$c^2 t^2 - r^2 = \text{invariant}$$

$c$

Dirac  
positron

Einstein  
black hole

$$H\Psi = 0$$

$$i\hbar\dot{\Psi} = H\Psi$$

$\hbar$

$G$

$$\Delta\Phi = 4\pi Gf$$

von Neumann

VON NEUMANN  $\rightarrow$  VON NEUMANN + EMERGENT GRAVITY?